

Using information that is
only *transiently* available to
improve detection of *high*
doses in cellular signaling

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Biomat
August 2014



Outline

-Introduction

-Motivation (from a particular model system)

-Question and background

-PART I: developing a general theoretical approach

-Summary I

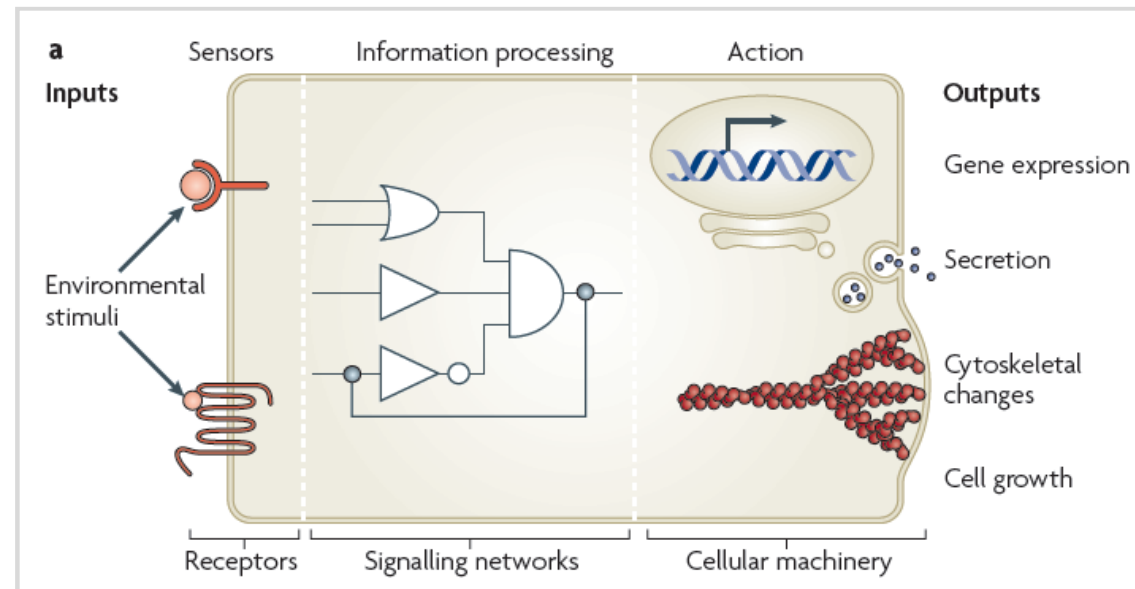
-PART II: applying the theoretical approach to the model
system that motivated the question

-Summary II

-Global summary

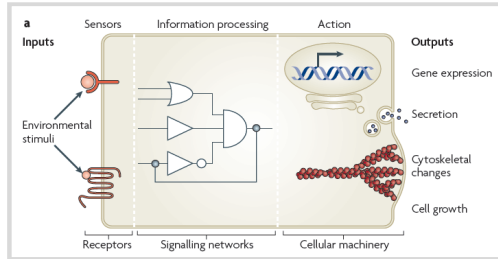
Introduction

1)
sensing
processing
responding

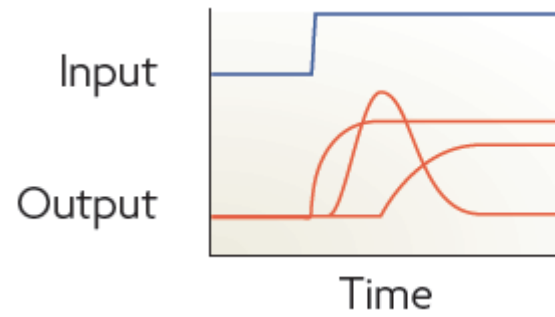


Designing customized cell signalling circuits. WA Lim. Nature Reviews. Molecular Cell Biology. 2010.

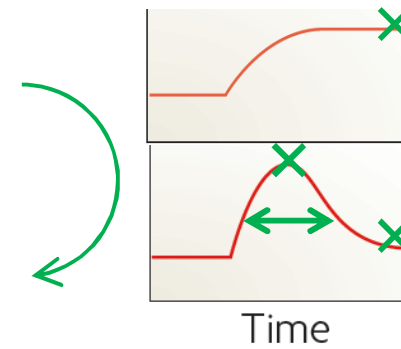
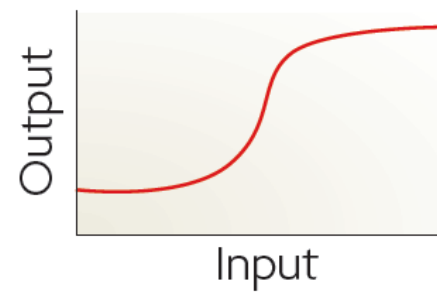
2) input-output relationship



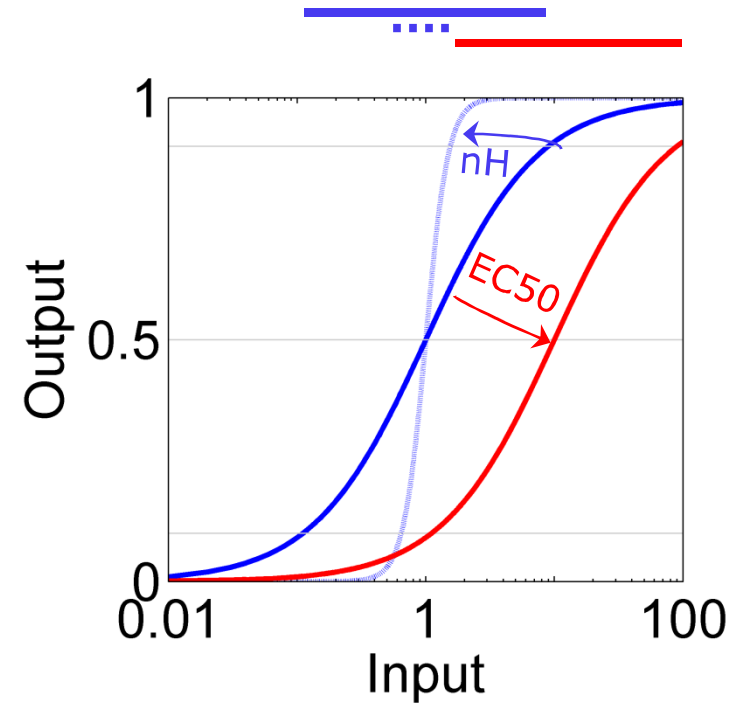
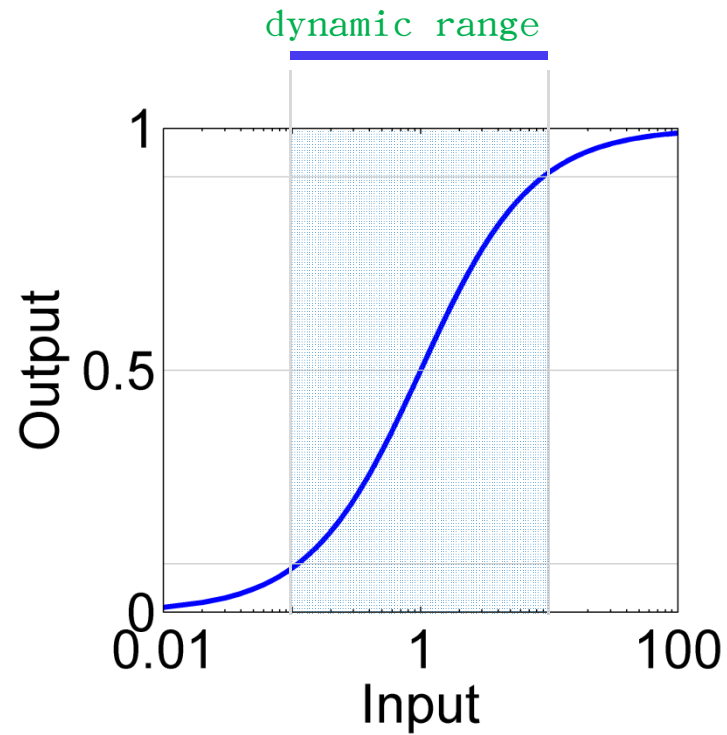
temporal
profile



input-output
relationship



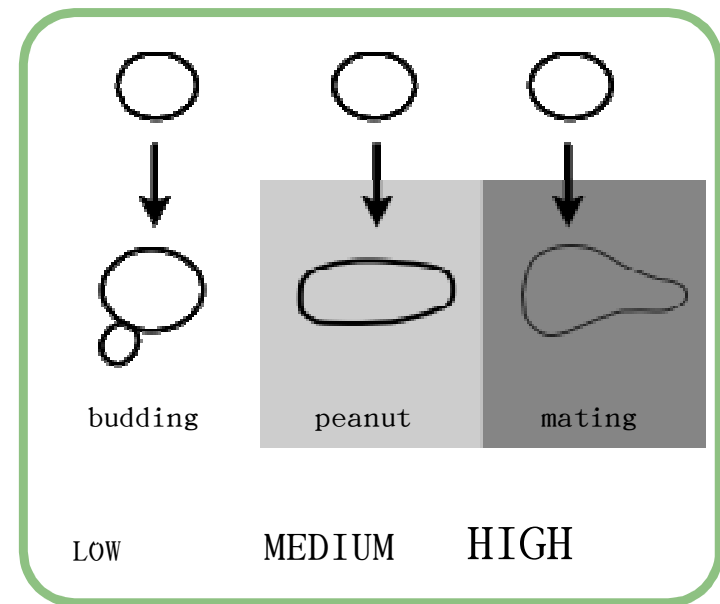
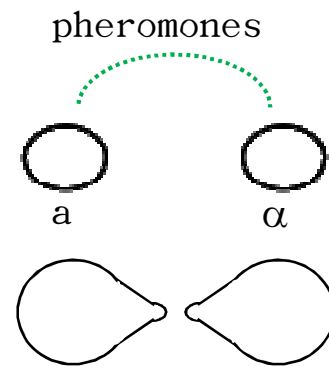
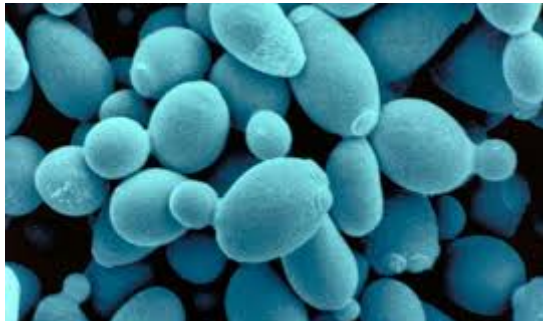
3) dynamic range



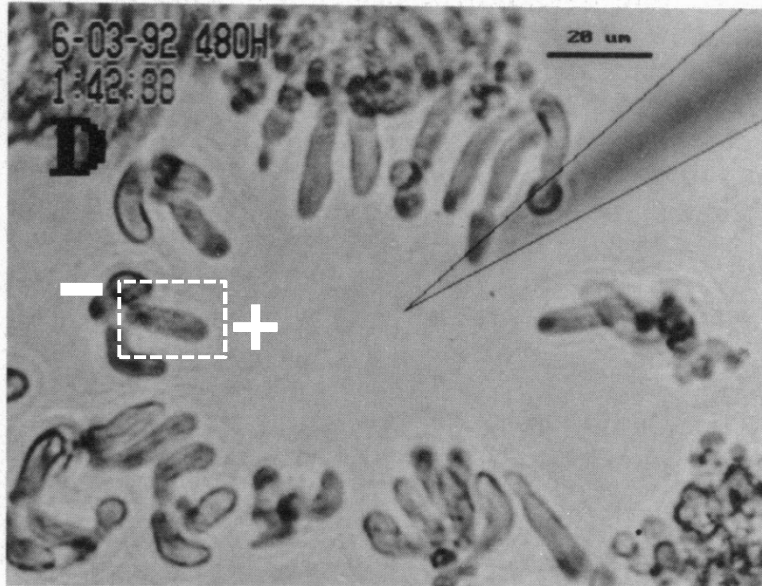
$$O = O_{basal} + (O_{max} - O_{basal}) \frac{I^{nH}}{EC50^{nH} + I^{nH}}$$

Motivation learning from yeast

model organism:
yeast *S cerevisiae*

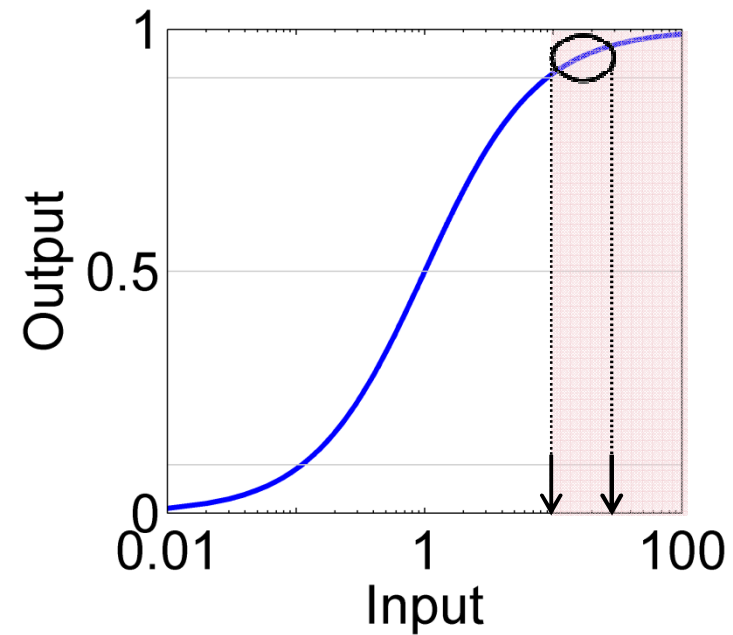


Deducing the position of the “mating partner”
from the spatial **gradient** of pheromone



Polarization of yeast in spatial gradients of alpha mating factor. JE Segall. PNAS. 1993.

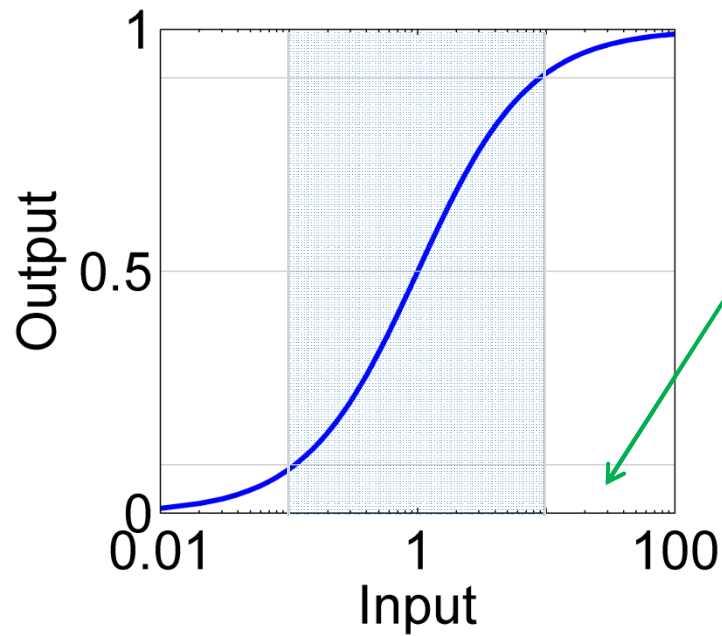
remarkable precision in
shallow gradients (1-2%
differences front-rear)



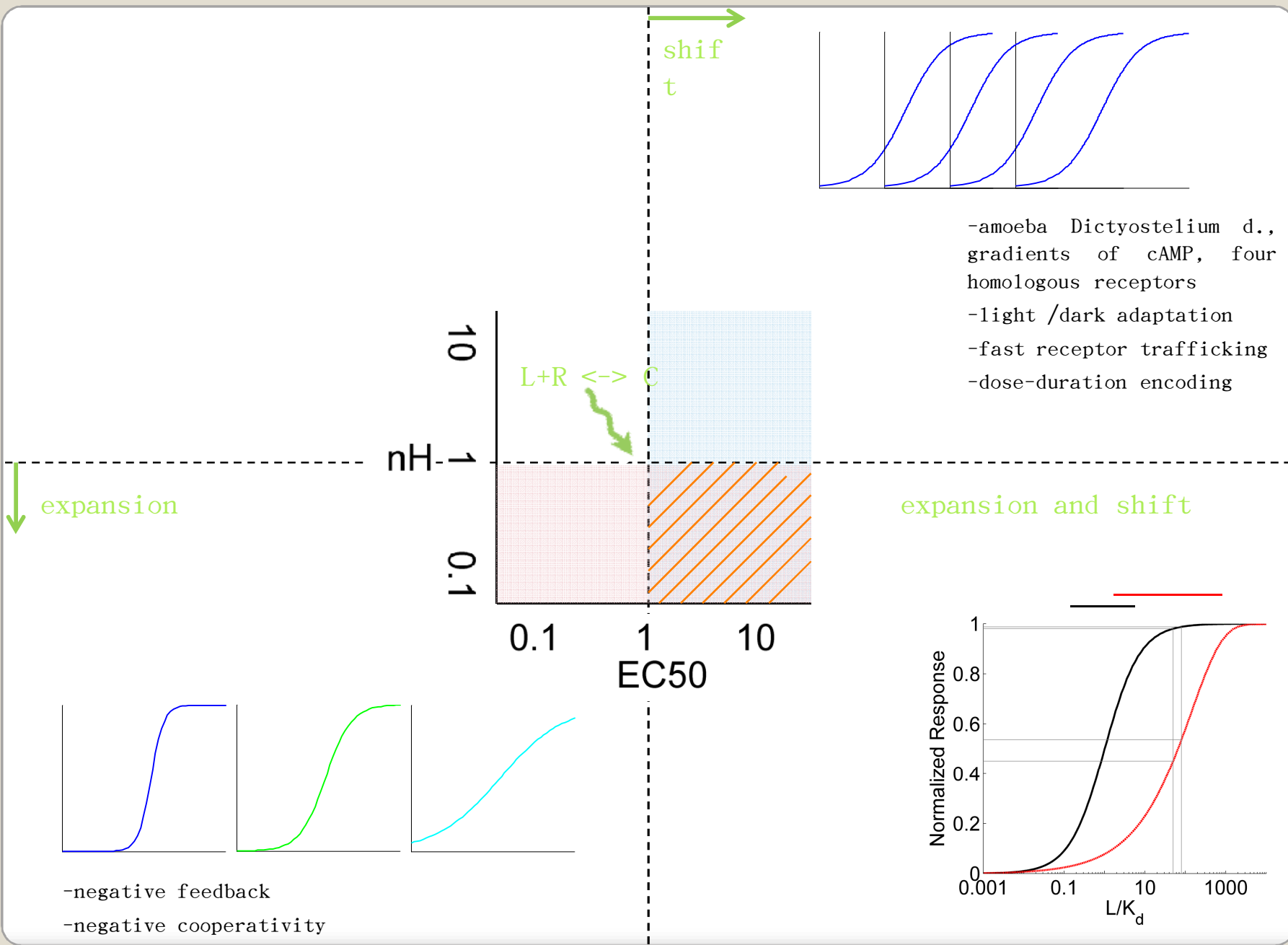
two high concentrations
need to be distinguished

The Question

we are addressing and what is already known about it



for a signaling system that needs to operate (also) in the high input region, is there a way to expand/shift its dynamic range?



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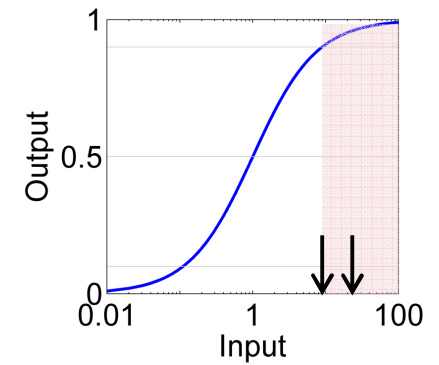
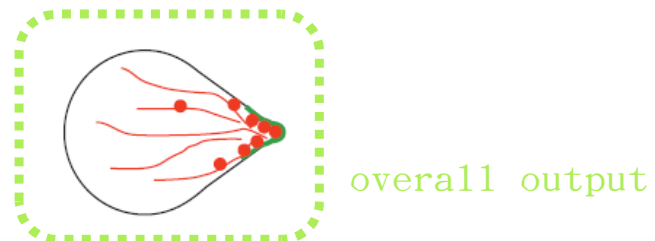
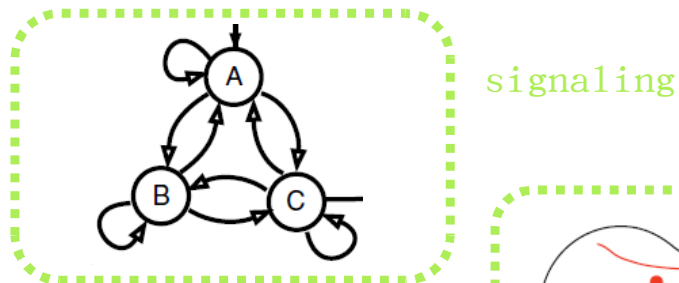
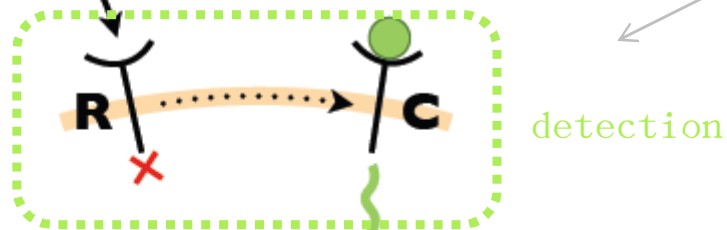
-Summary I

-PART II: applying the theoretical approach to the model
system that motivated the question

-Summary II

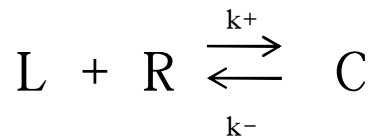
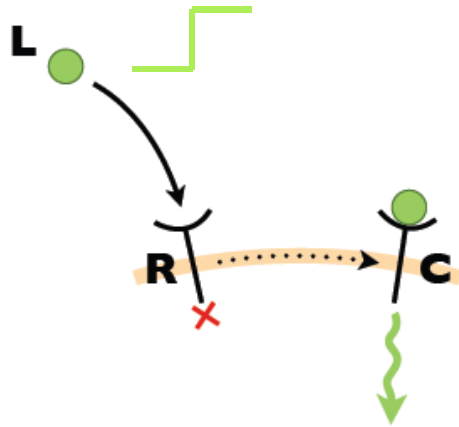
-Global summary

Using information that is only transiently available



two high concentrations
need to be distinguished

(1) Modeling detection

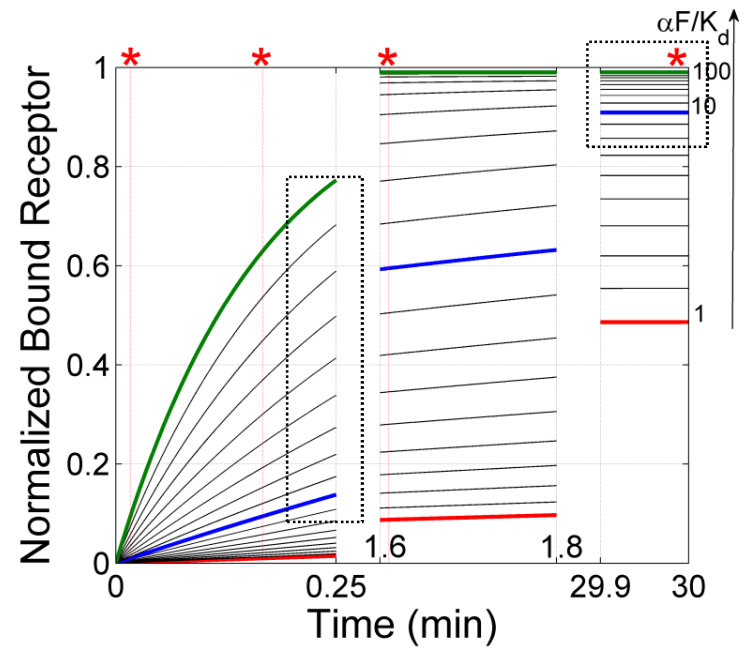


$$dC/dt = k_+ L R - k_- C$$

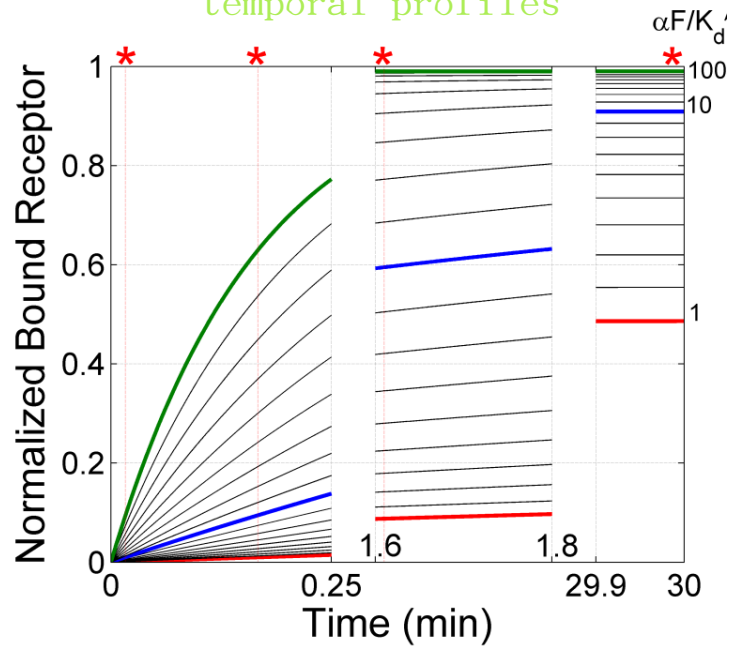
$$C(t, I) = C_{ss} [1 - \exp(-t/\tau)]$$

$$C_{ss} = \frac{I}{1 + I} \quad \tau = \frac{1}{k_- (1 + I)}$$

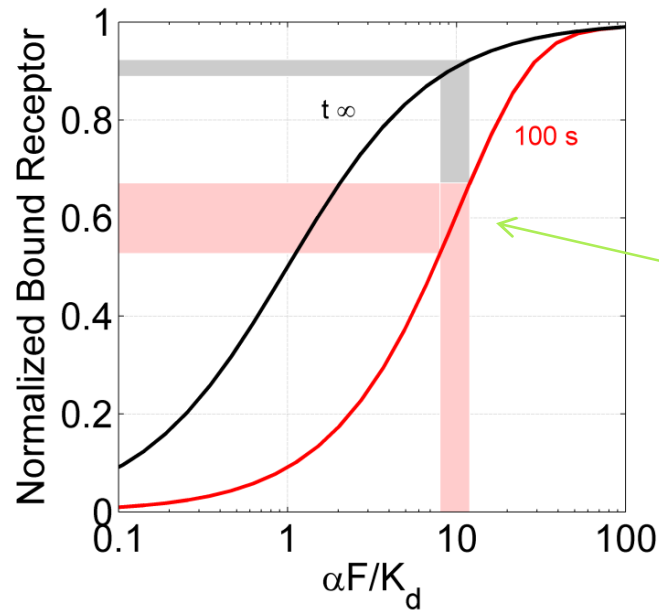
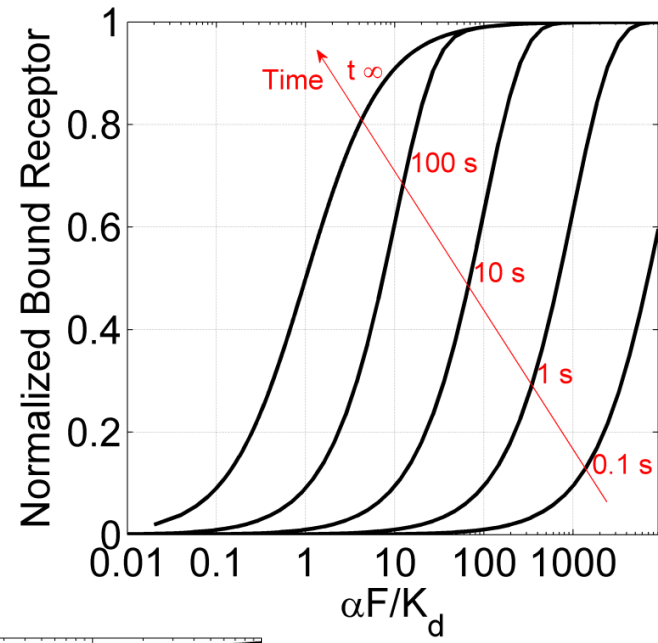
$I = L/K_d = \alpha F/K_d$



temporal profiles



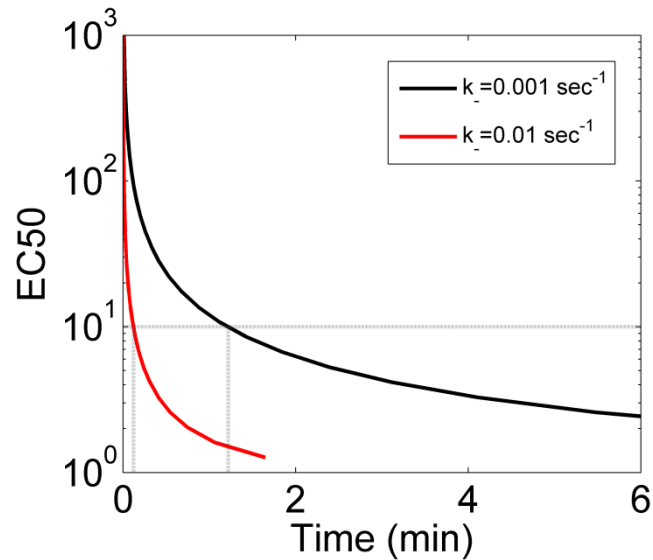
input-output curves



differences in
outputs are
amplified at
early times

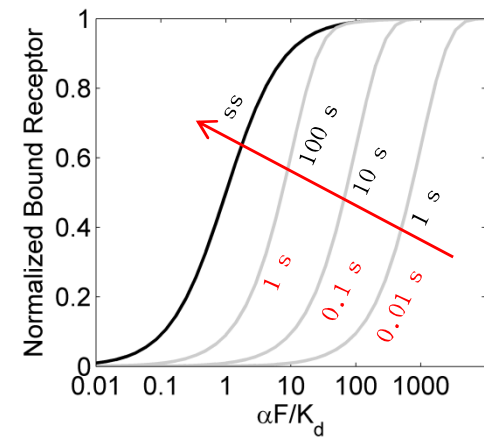
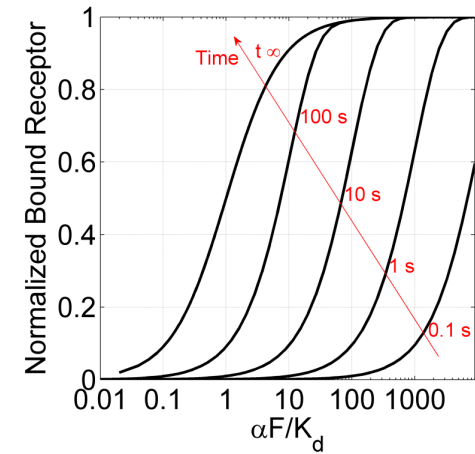
EC50 and nH versus time

$$t = \frac{1}{k_- * (1 + EC_{50})} \log \left(\frac{2 * EC_{50}}{EC_{50} - 1} \right)$$



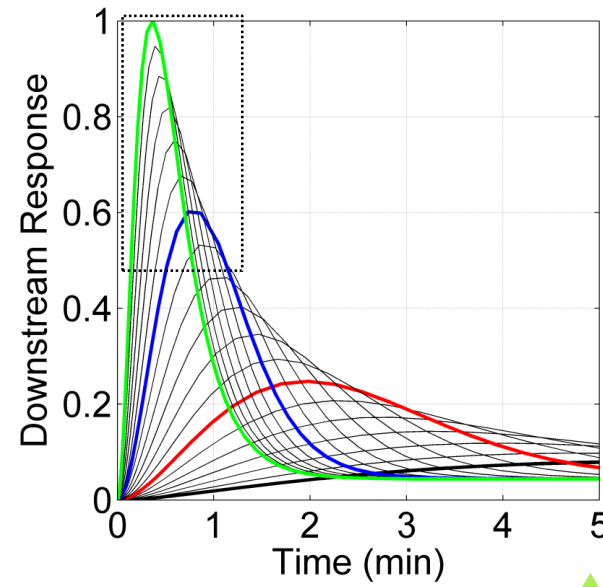
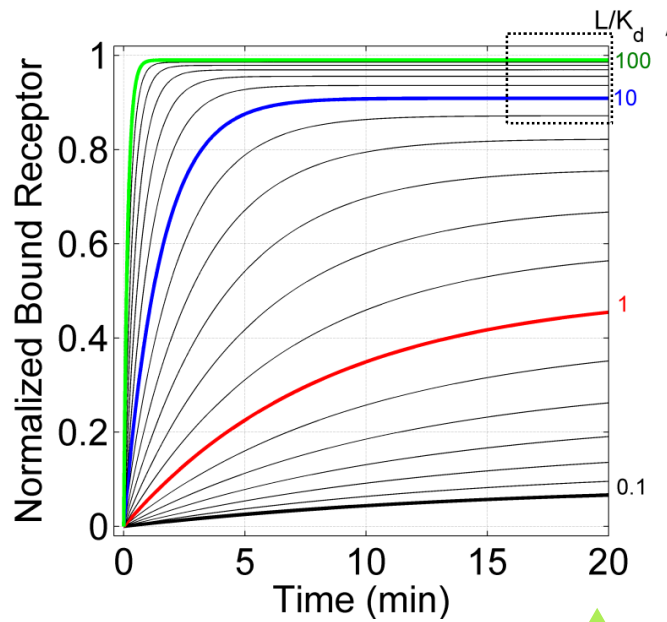
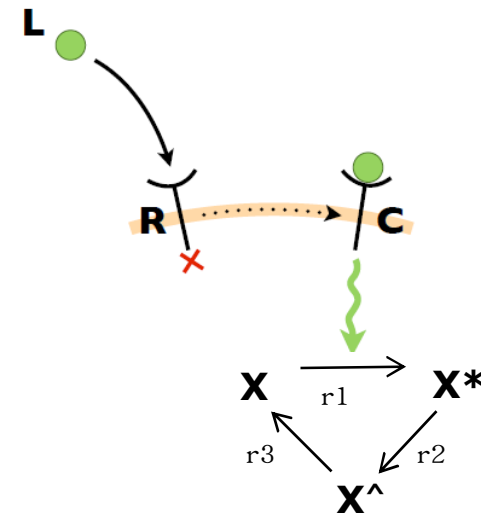
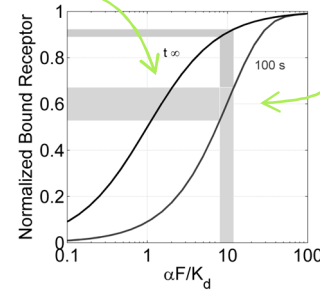
1. EC50 and nH decreases when time increases
2. for slow binding /unbinding the curve shifts slowly

$$\frac{EC_{90}}{EC_{10}} = \frac{-\log(0.1) - t * k_-}{-\log(0.9) - t * k_-} = 81^{1/nH} \longrightarrow n_H = 1.42.$$

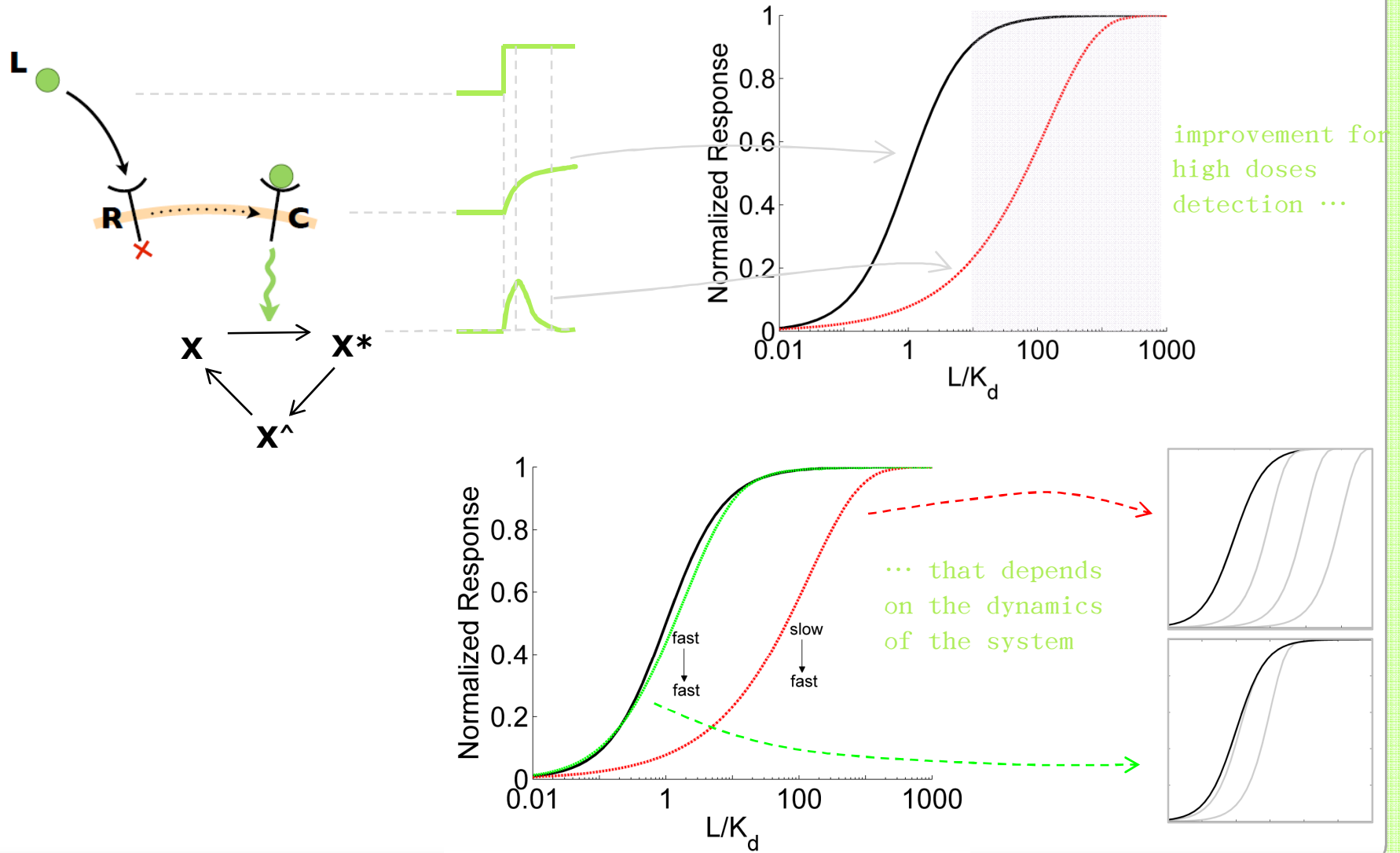


(2) In order to use this information instead of this one,

we select a fast and transient downstream step

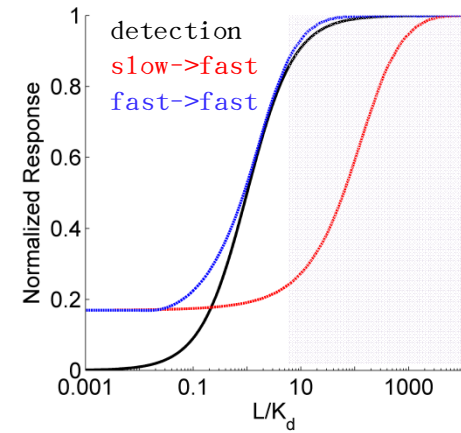
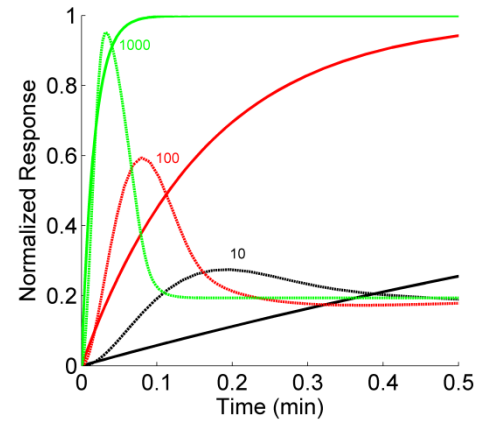
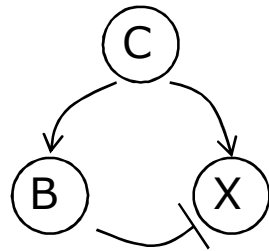


(3) PRESS: pre-equilibrium sensing and signaling

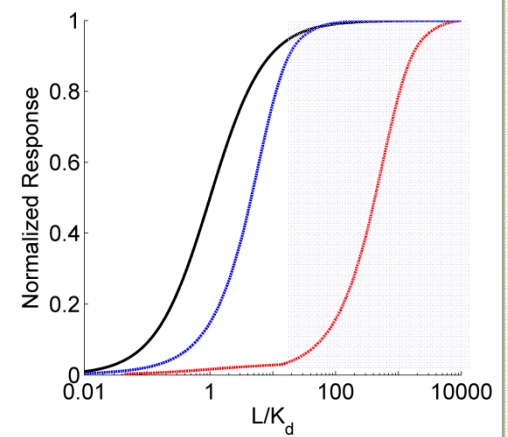
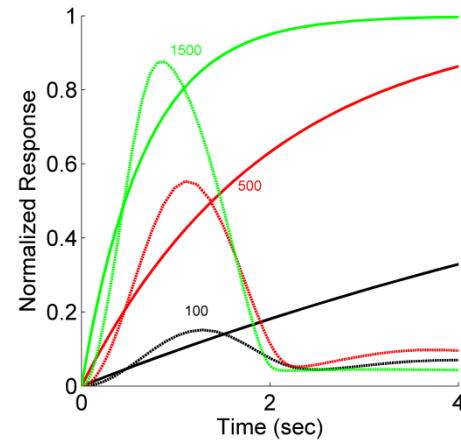
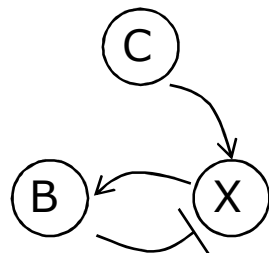


Simple models with transient signaling perform PRESS

X controlled
by incoherent
feed-forward
loop (IFFL)

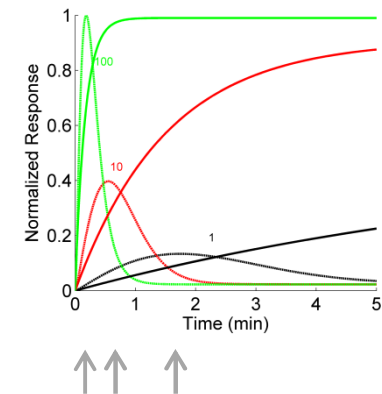
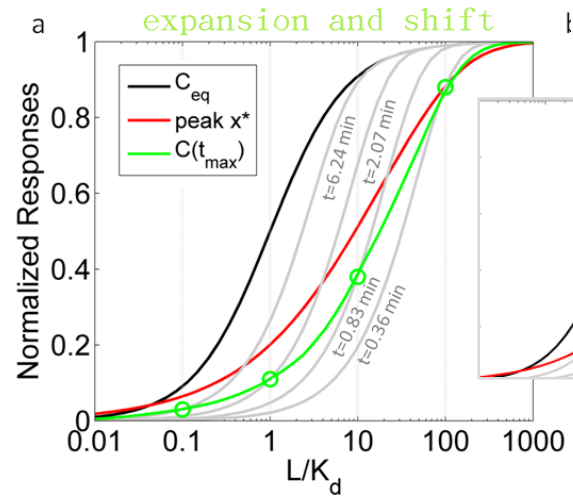
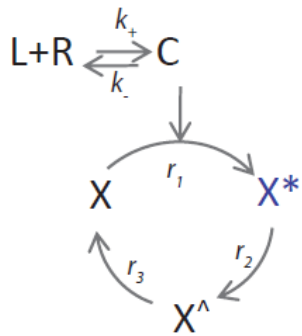


X controlled
by negative
feedback loop
(NFBL)

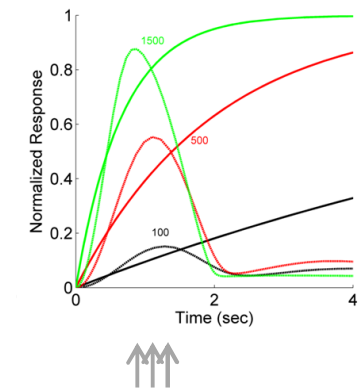
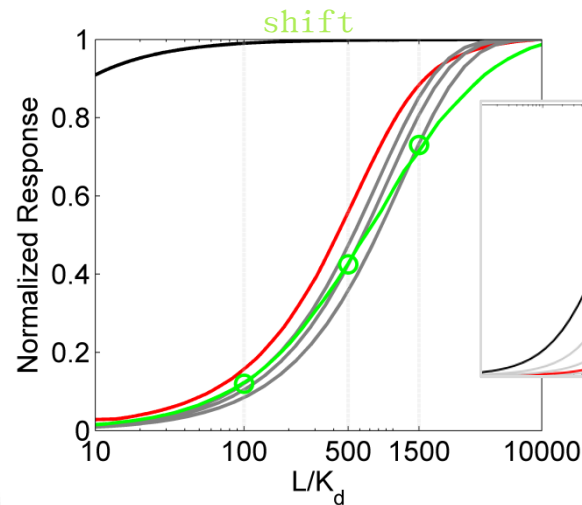
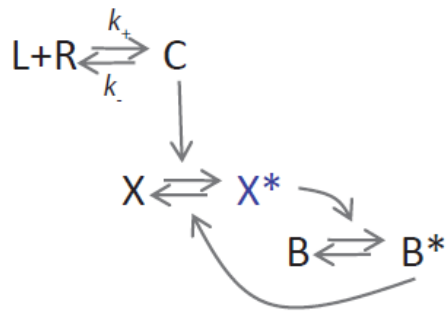


The shift in the dynamic range could come also with an expansion depending on the characteristics of the transient step

X with a refractory state

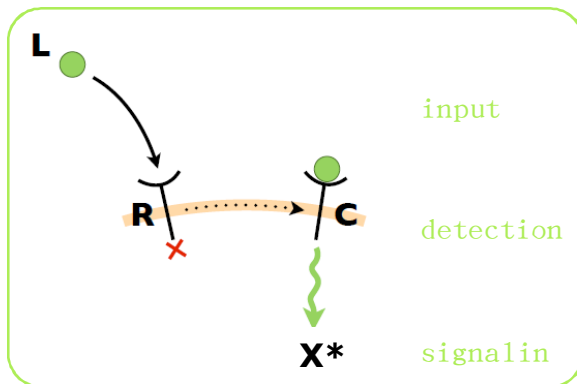
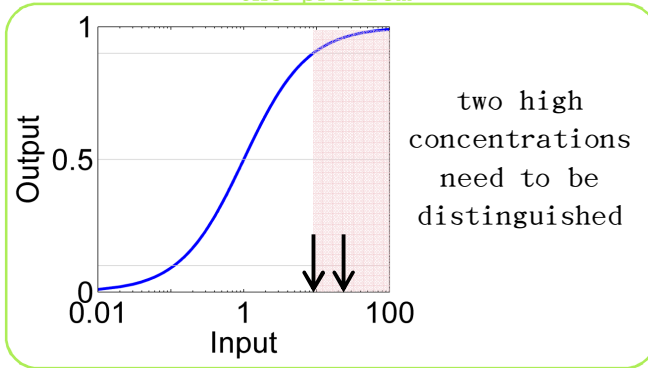


X controlled by negative feedback loop (NFBL)

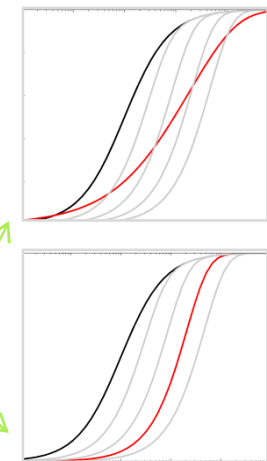
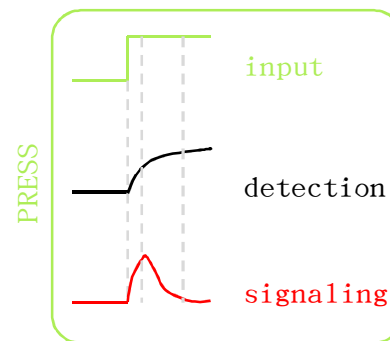
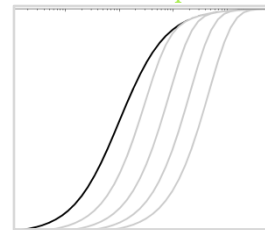


Summary I

the problem



time-dependent dose-response



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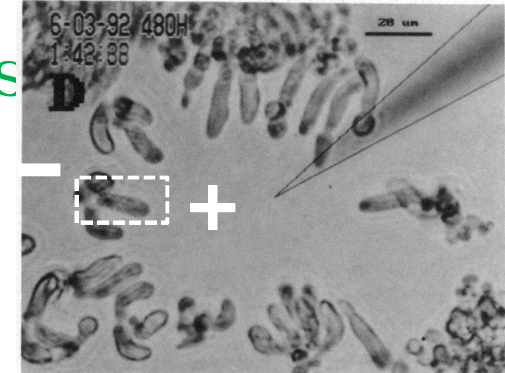
-Summary I

-PART II: applying the theoretical approach to the model
system that motivated the question

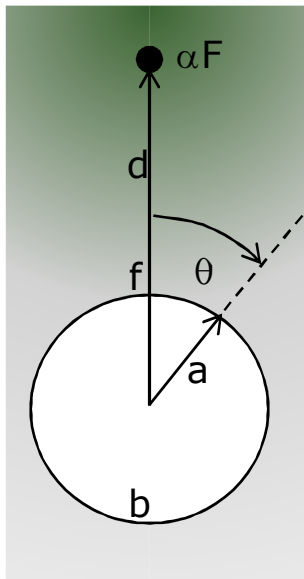
-Summary II

-Global summary

PRESS can operate during yeast polarization in a chemical gradient

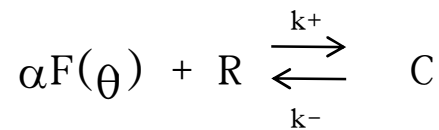


(1) Mathematical description: yeast in a gradient



yeast cell \rightarrow impermeable sphere

stimulus \rightarrow steady-state gradient $\alpha F(\theta)$

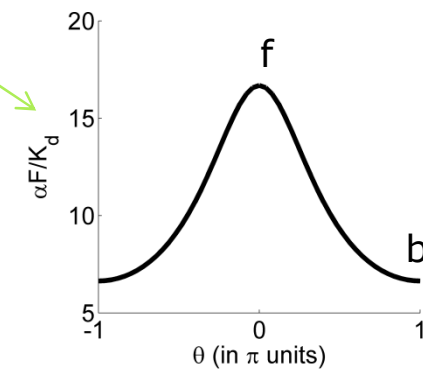


$$C(t, \theta) = C_{ss} [1 - \exp(-t/\tau)]$$

$$\frac{I}{1 + I}$$

$$I = \alpha F(\theta) / K_d$$

$$1/k^- (1+I)$$

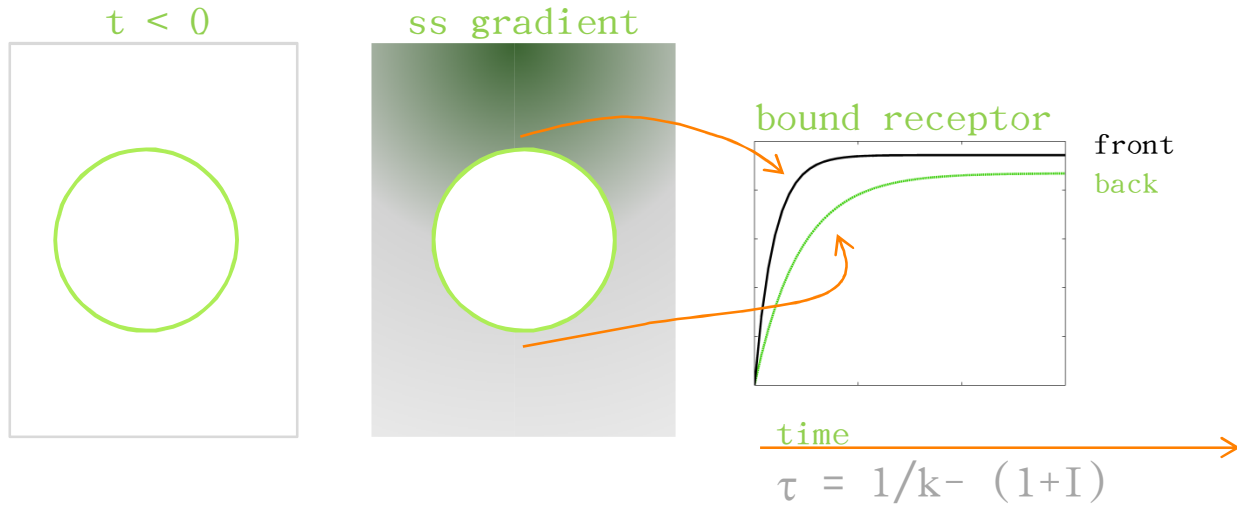


$$p1 = (q/4\pi Dd) / K_d$$

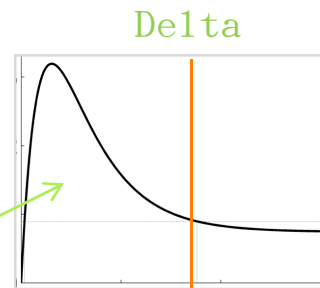
$$p2 = a/d$$

$$p3 = k^-$$

(2) Mathematical description: scoring the front-back differences



information that is only
transiently available



$$\Delta(t) = C(t, \text{front}) - C(t, \text{back})$$

(3) Mathematical description: characterizing *Delta*

$$\Delta_{(t)} = \underbrace{\frac{\bar{\alpha}F_f - \bar{\alpha}F_b}{(1 + \bar{\alpha}F_f)(1 + \bar{\alpha}F_b)}}_{\text{Delta eq}} + \frac{\bar{\alpha}F_b}{1 + \bar{\alpha}F_b} \exp\{-t[k_-(1 + \bar{\alpha}F_b)]\} - \frac{\bar{\alpha}F_f}{1 + \bar{\alpha}F_f} \exp\{-t[k_-(1 + \bar{\alpha}F_f)]\}$$

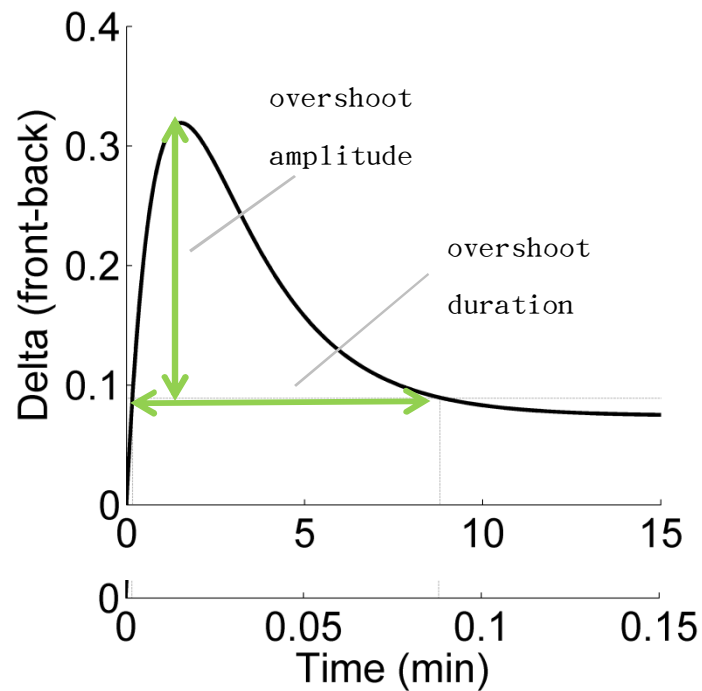
Delta eq

exponential gradient

$$\bar{\alpha}F_f = \bar{\alpha}F_b * const_2 \text{ (with } const_2 > 1)$$

linear gradient

$$\bar{\alpha}F_f = \bar{\alpha}F_b + const_1$$

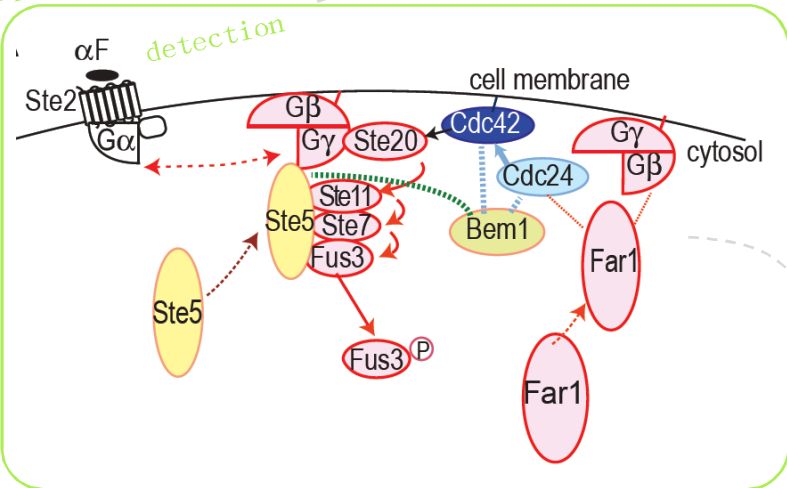


$k_- = 0.001 \text{ 1/sec}$

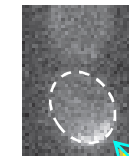
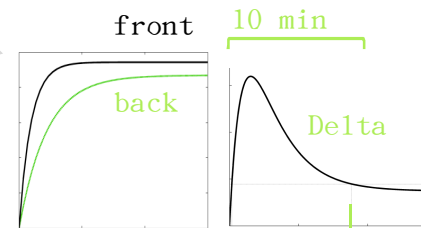
$k_- = 0.1 \text{ 1/sec}$

(4) Yeast can polarize fast, within the temporal window compatible with PRESS

input: ss gradient



pheromone response system



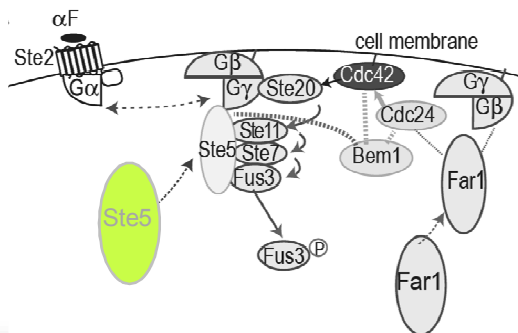
signaling
(Ste5, Bem1)

exp #1
20% of the cells have Ste5 polarized in the first 10 min

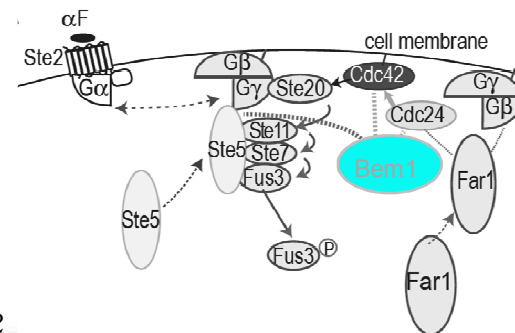
Bem1	No internal cue
Average Repositioning Time (min)	10.8 ± 8.1



Lic. Alan Bush



exp #1



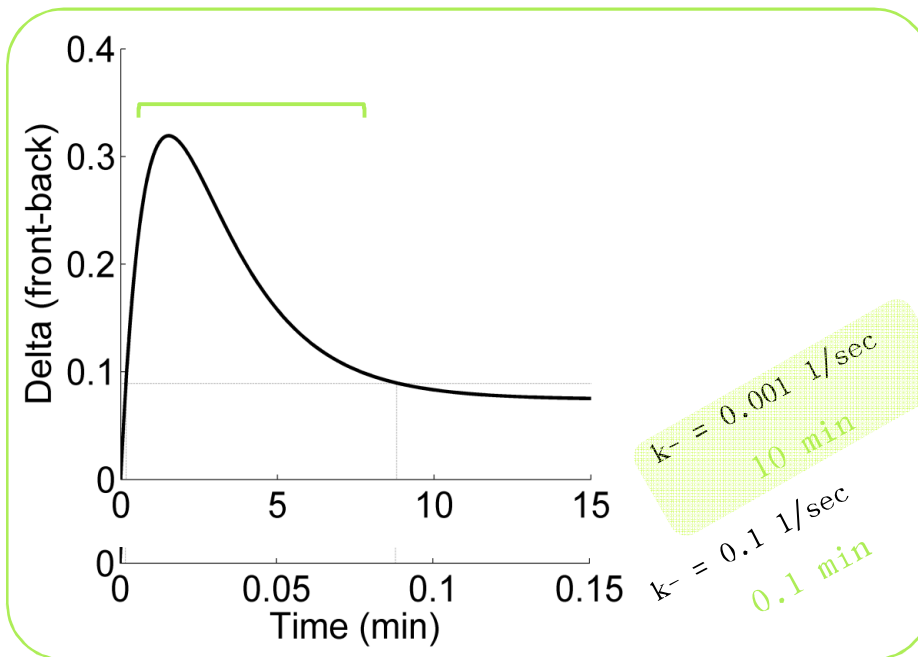
exp #2



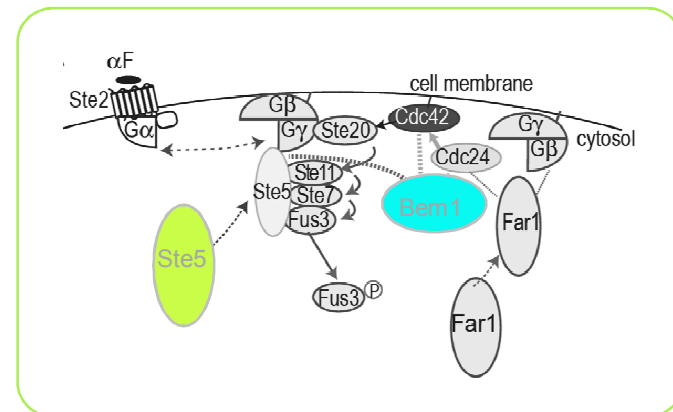
Lic. Gustavo Vasen

(5) If we accelerate binding
 the temporal window with increased (gradient) information is reduced
 and then is harder to detect the gradient

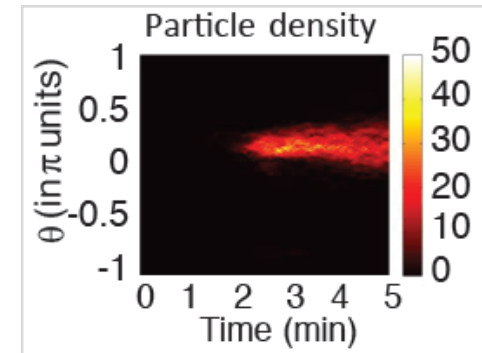
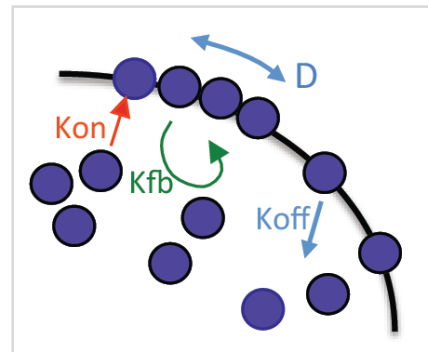
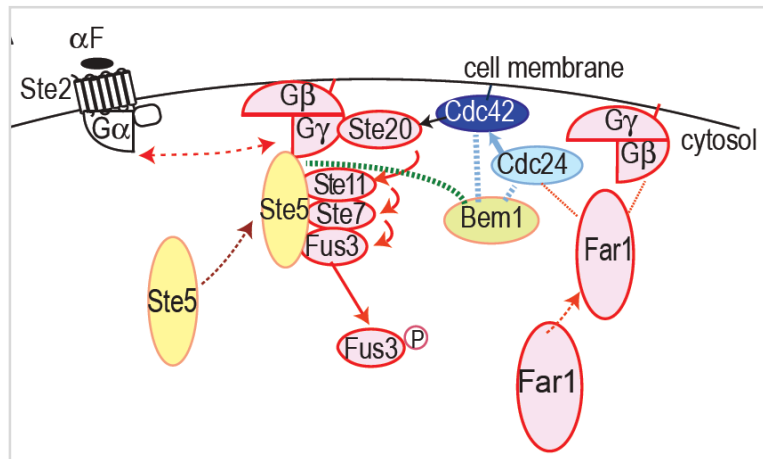
theoretical analysis

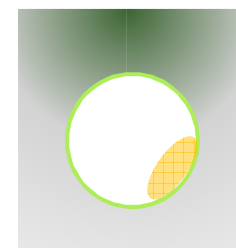
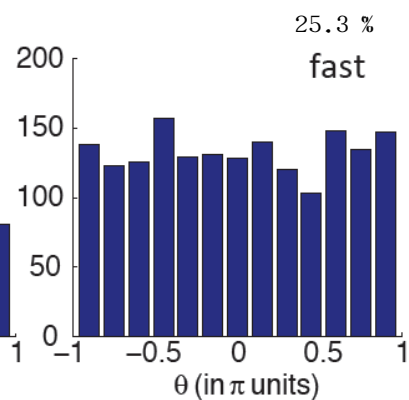
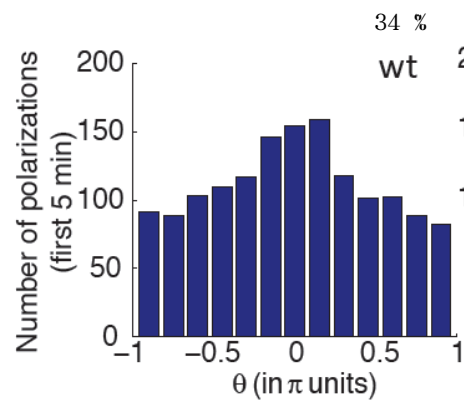
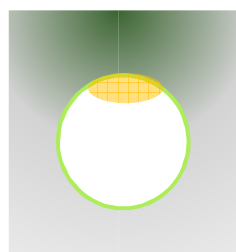
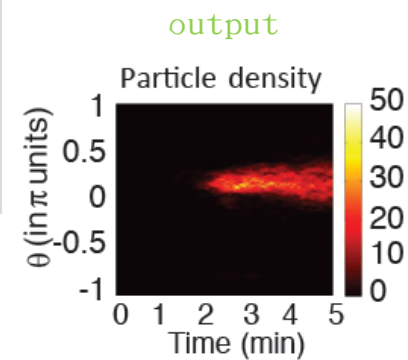
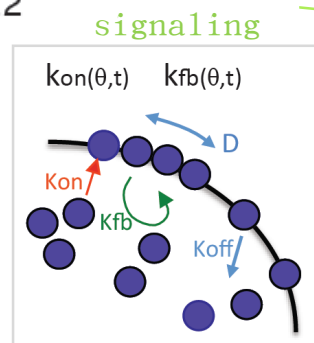
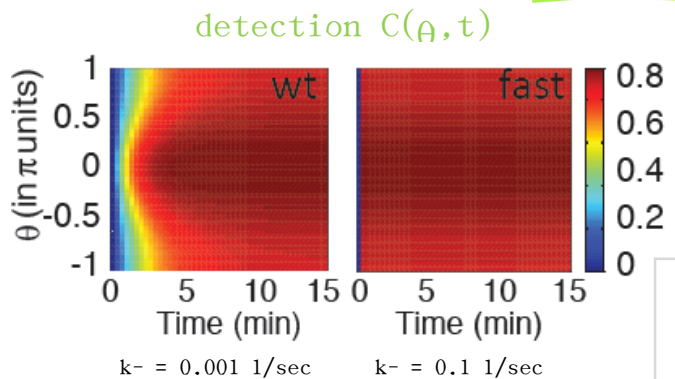
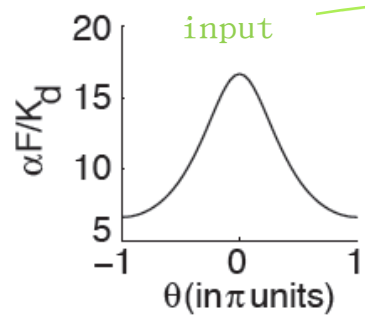


experimental evidence

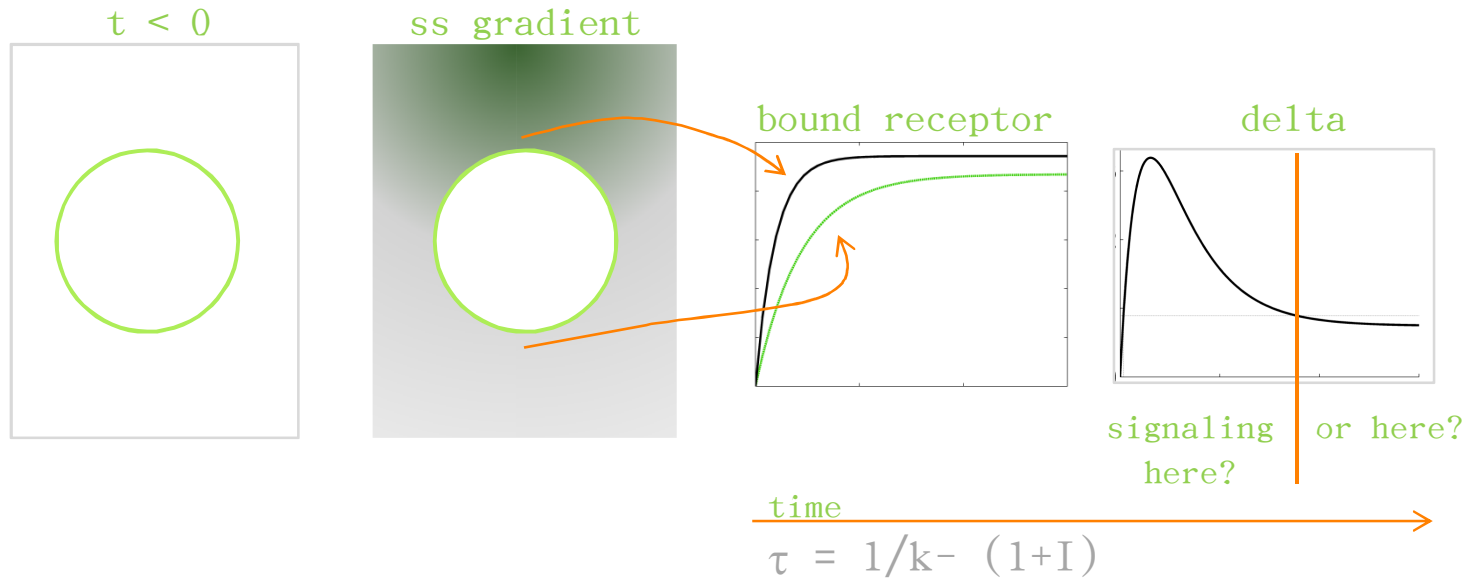


LETTERS

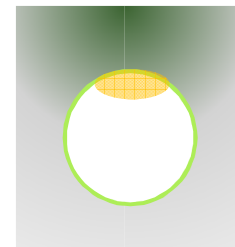
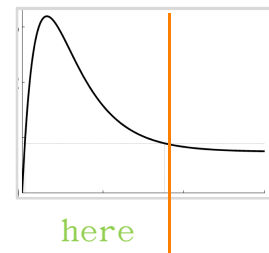
On the spontaneous emergence of cell polaritySteven J. Altschuler¹, Sigurd B. Angenent², Yanqin Wang¹ & Lani F. Wu¹



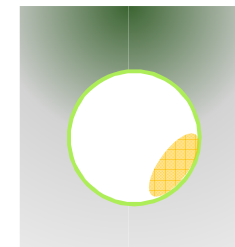
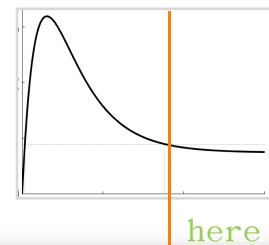
Summary II



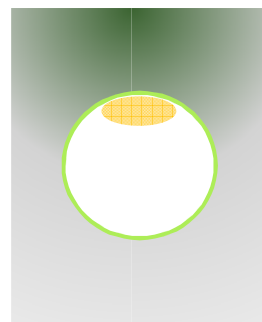
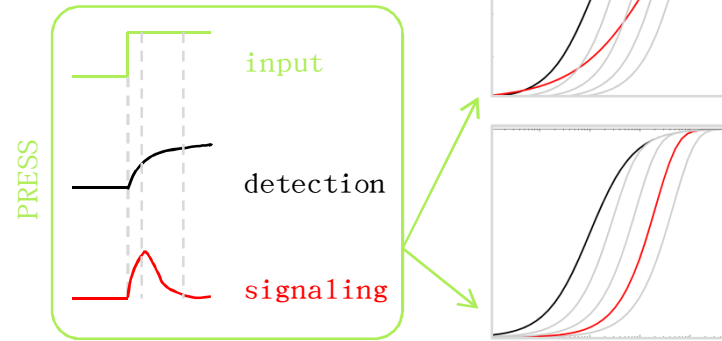
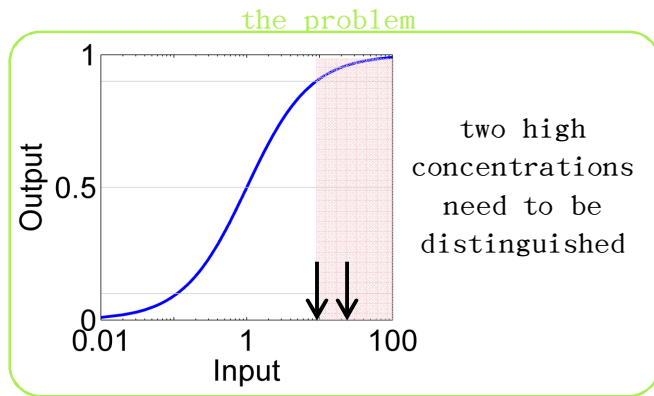
slow binding (low $k-$)



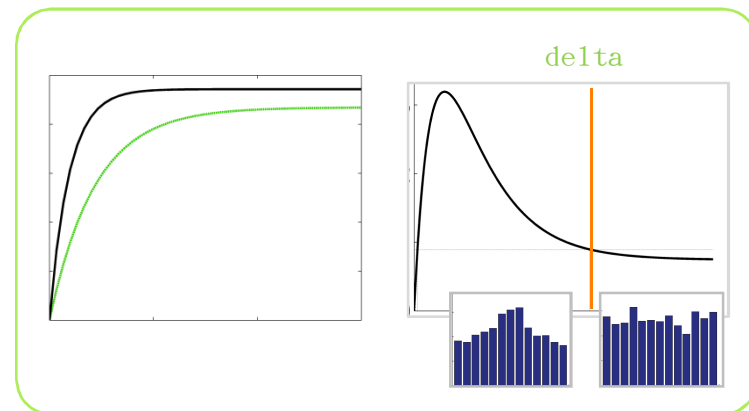
fast binding (high $k-$)



Global Summary



motivation



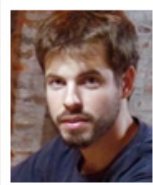
Acknowledgements



FBMC Fisiología y Biología Molecular y Celular



Dr. Alejandro Colman-Lerner



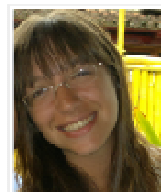
Lic. Alan Bush



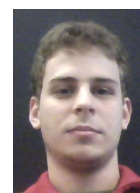
Lic. Gustavo Vasen



Lic. Juan Pablo Di Bella



Lic. Laila Kazimierski



Lucas Alonso

Andreas Constantinou



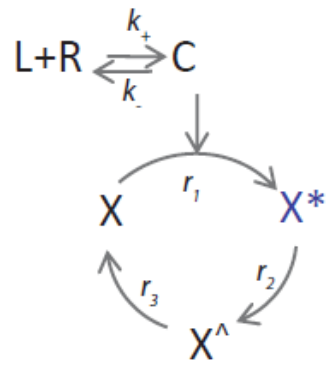
Lic. Edgar Altszyler



Dr. Ariel Chernomoretz

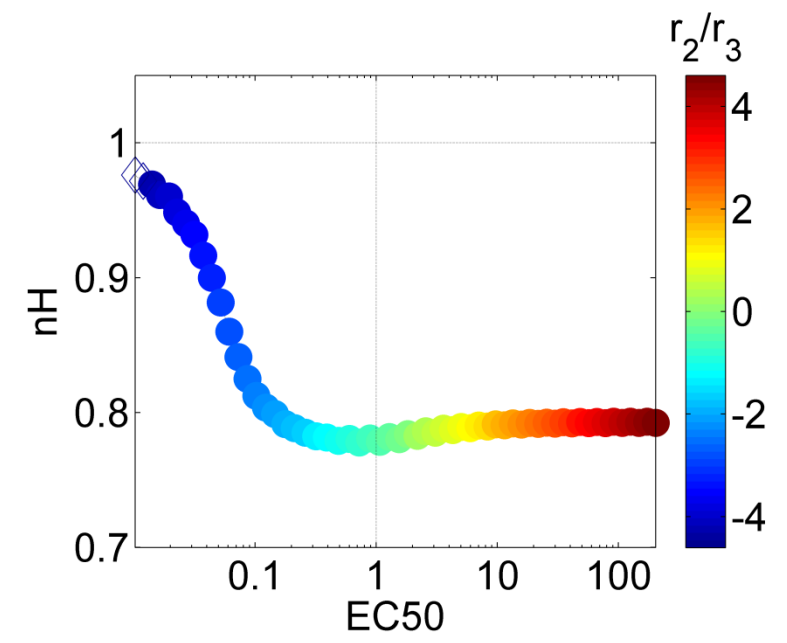
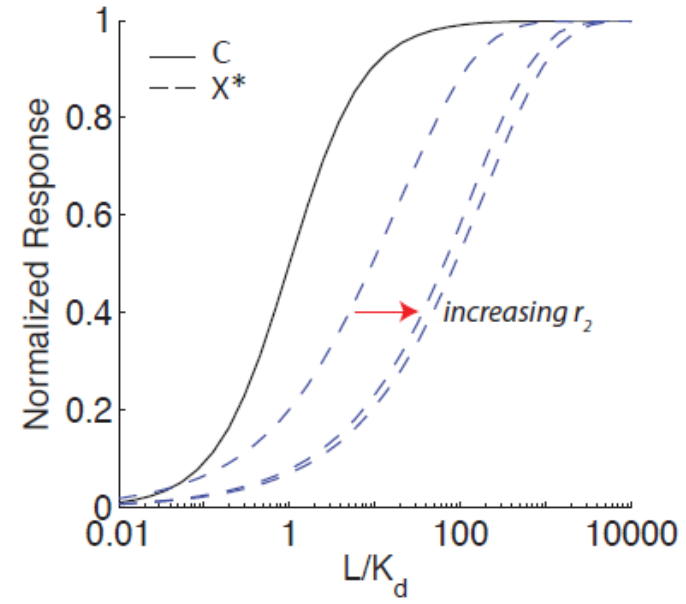


Thank you!



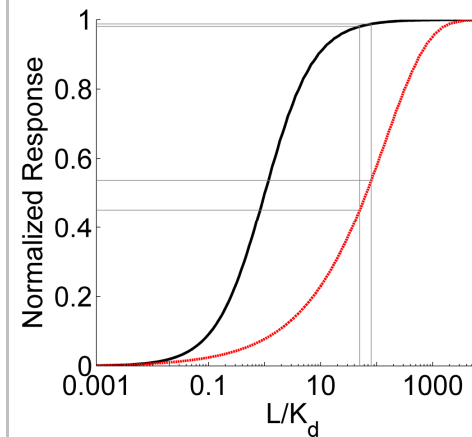
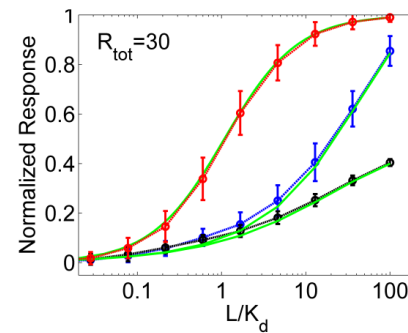
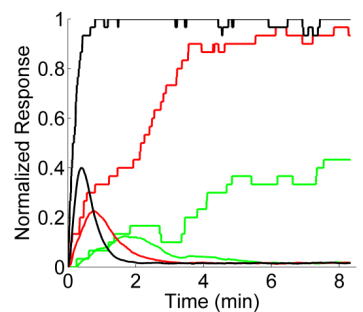
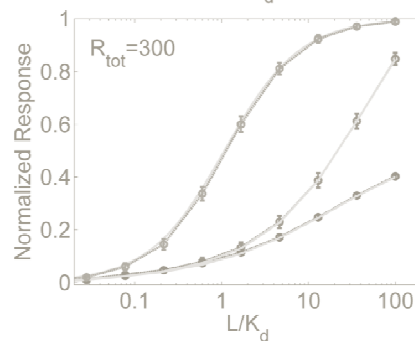
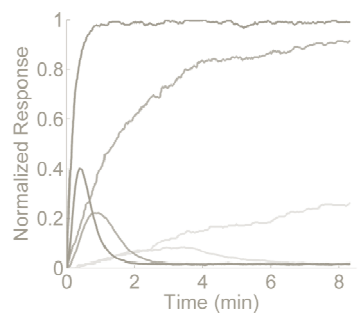
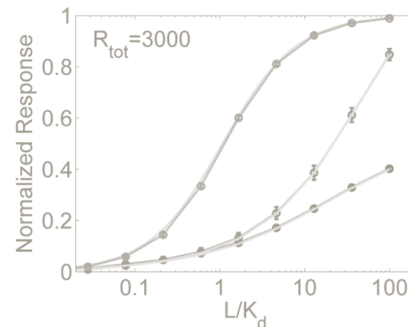
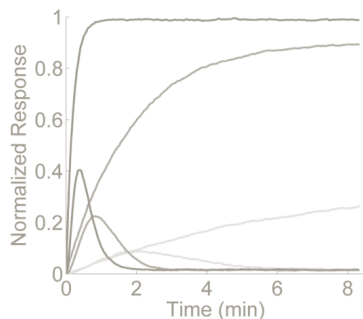
X with refractory state

Dose responses

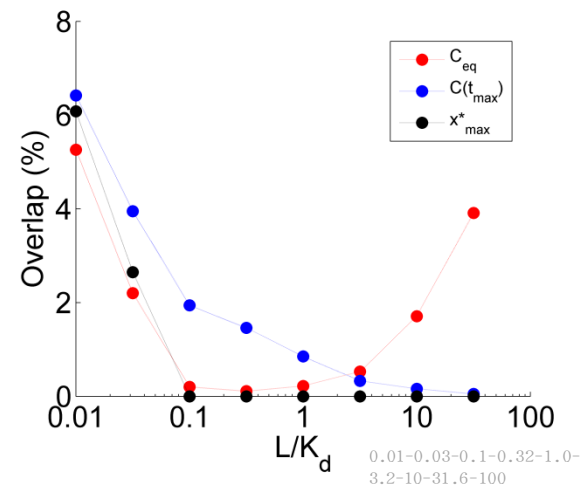


The effect of noise during PRESS

increasing noise

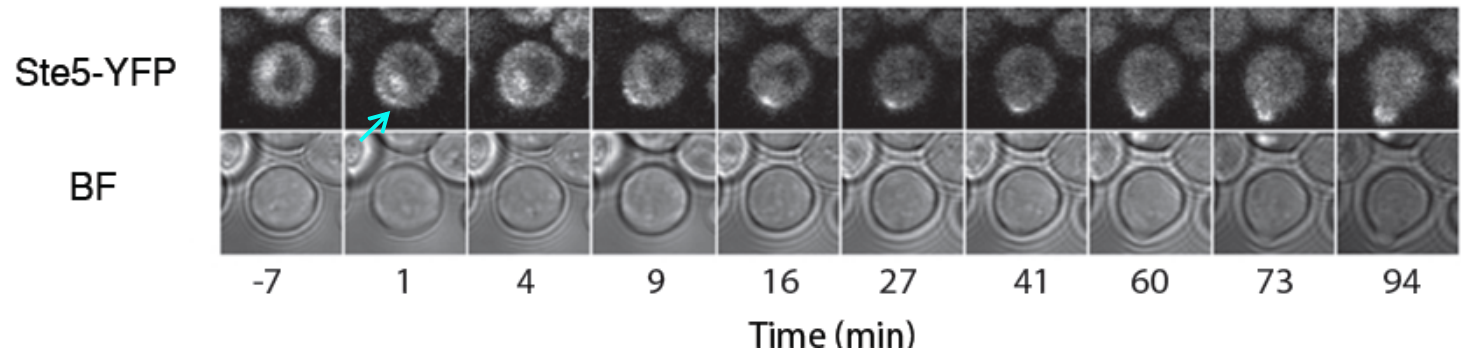
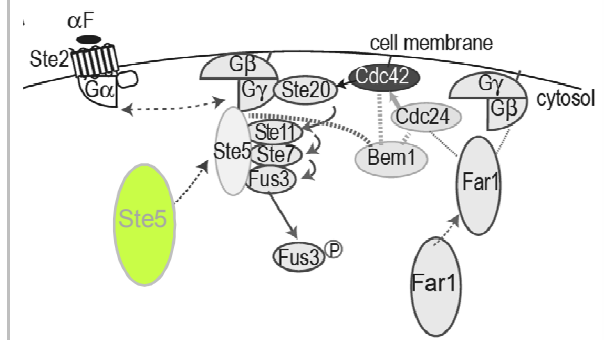


is noise amplified in PRESS mode?

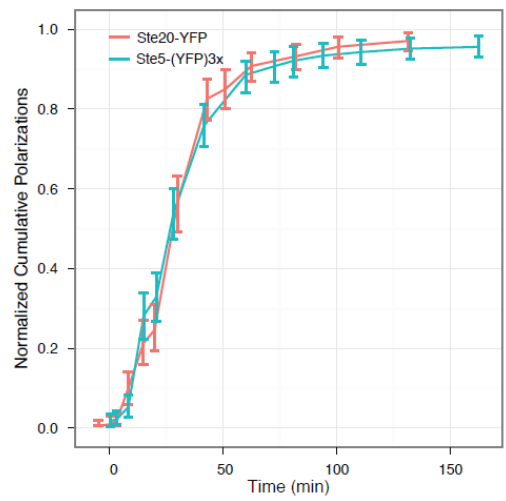


the improvement gained by PRESS is not lost by the effect of noise

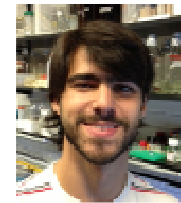
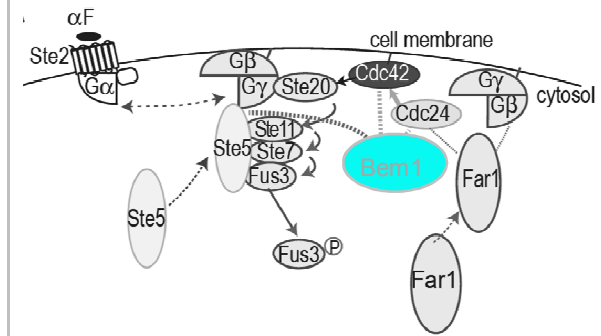
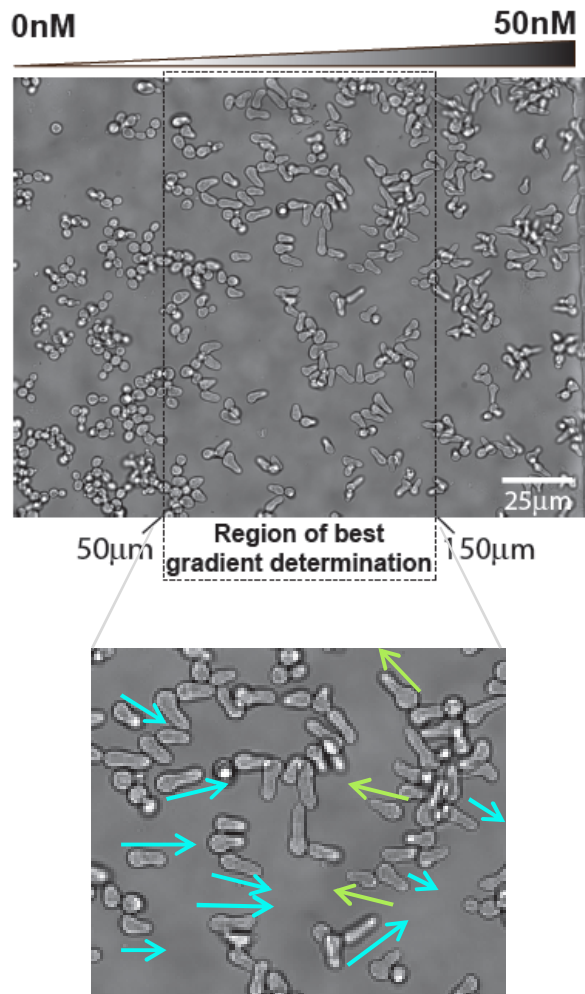
Experiment #1.
Polarization of Ste5, isotropic stimulation



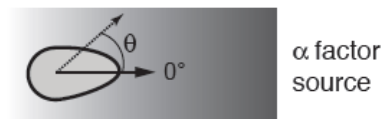
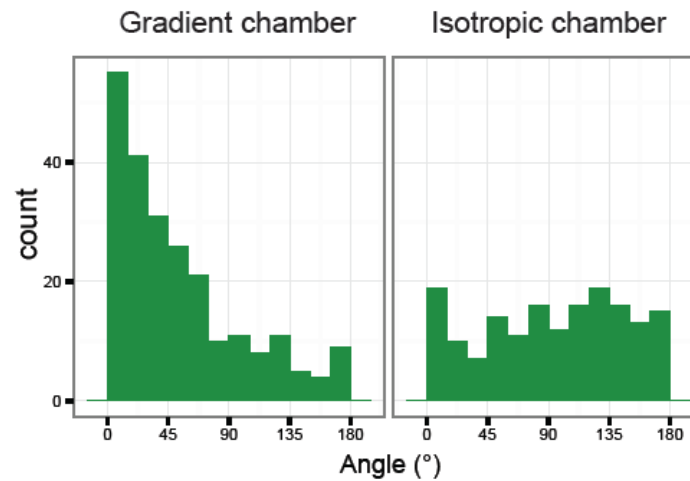
Lic.
Alan
Bush



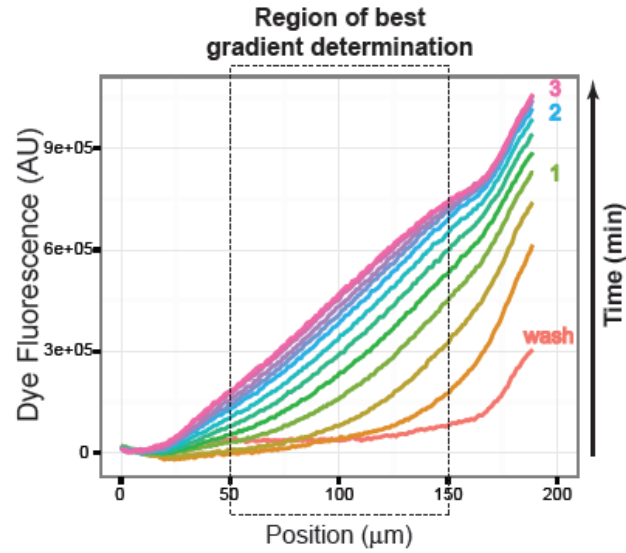
Experiment #2.
Relocalization of Bem1, linear gradient



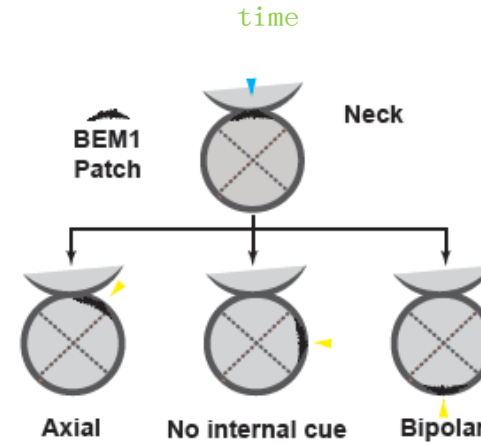
Lic. Gustavo Vasen



the gradient is linear and it reaches steady-state in ~ 3 min



measurement of patch repositioning



	Axial	No internal cue	Bipolar
Average Repositioning Time (min)	3.6 ± 0.1	10.8 ± 8.1	10.6 ± 8.7

